The Title of the Demonstration $\operatorname{Paper}^{\bigstar}$

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Abstract

This paper is a demonstration of the use of elsarticle.cls.

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1. Introduction

Consider the following results (that appear in, e.g., [1]), but are given here only for completeness of the presentation and to make up the page.

lem:1 Lemma 1.1. If

thm1

ntroduction

$$4: X \stackrel{1:1 \text{ onto}}{\to} Y \tag{1.1a}$$

$$B: Y \xrightarrow{1:1 \text{ onto}} Z \tag{1.1b}$$

then $BA: X \xrightarrow{1:1 \text{ onto}} Z$.

Theorem 1.1. If, in Lemma 1, $X_{\parallel \cdot \parallel}$, $Y_{\parallel \cdot \parallel}$, $Z_{\parallel \cdot \parallel}$, are B-spaces and

$$A: X \to Y \text{ with } \|A\| < 1, \tag{1.2a}$$

$$B: Y \to Z \text{ with } \|B\| < 1, \tag{1.2b}$$

then ||BA|| < 1.

The assumptions are stronger than necessary³. We defer the proofs to the Appendices. The Appendices start with the command \proofs appendix; appendix sections are then type-set as normal sections:

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 $^{^{\,\,\}mathrm{\! \style}}$ Demonstration of elsarticle.cls

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 $^{^{3}}$ Added in proof: This paper was discovered to contain a fundamental error but the second author could not be contacted to agree to issuing a correction.

A. B-spaces

Recall that a B-space (Banach space) is a normed linear space that is complete.

References

bib:1

ec:B-spaces

[1] Anonymous, A., Sample paper, J. Sample Papers, 1 (2222), pp. 1–1500.